

# Computer Arithmetic, Volume I

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Electronic citations and items [26B] and [32B] added August 2018 by Clara Schaertl Short. Supplemental materials updated November 28, 2018.

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## SUPPLEMENTAL MATERIALS

The following papers are not included in *Computer Arithmetic, Volume I*, but were discussed in Prof. Swartzlander’s fall 2018 “High Speed Computer Arithmetic” class.

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